

Computer Graphics

MTAT.03.015

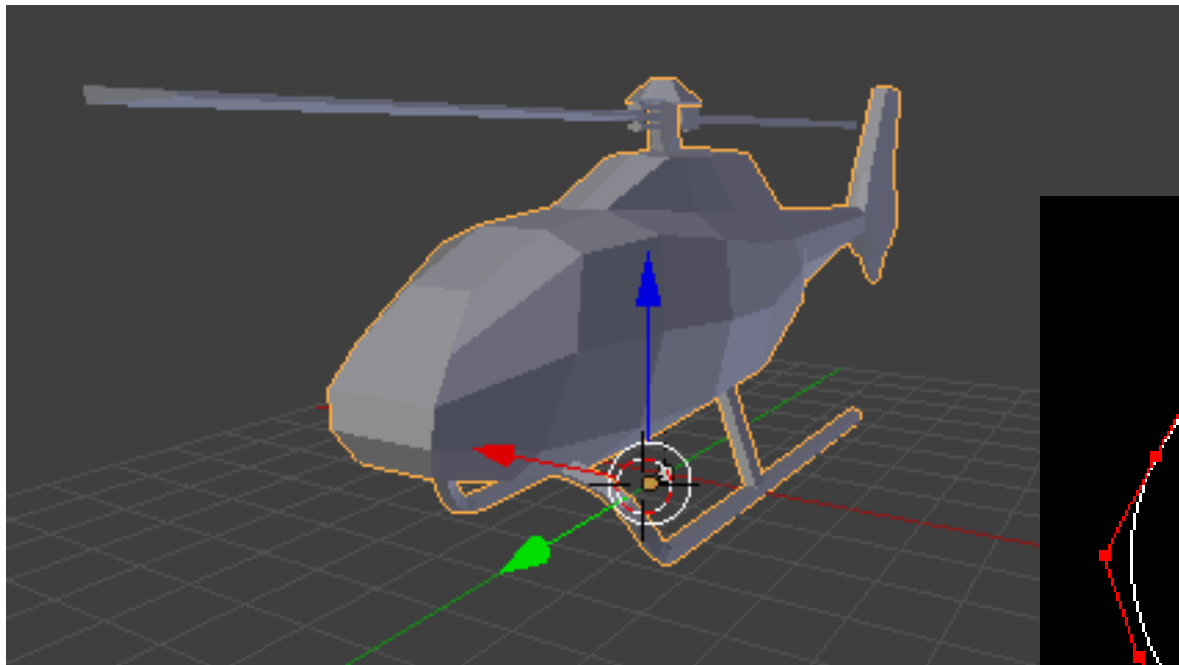
Raimond Tunnel



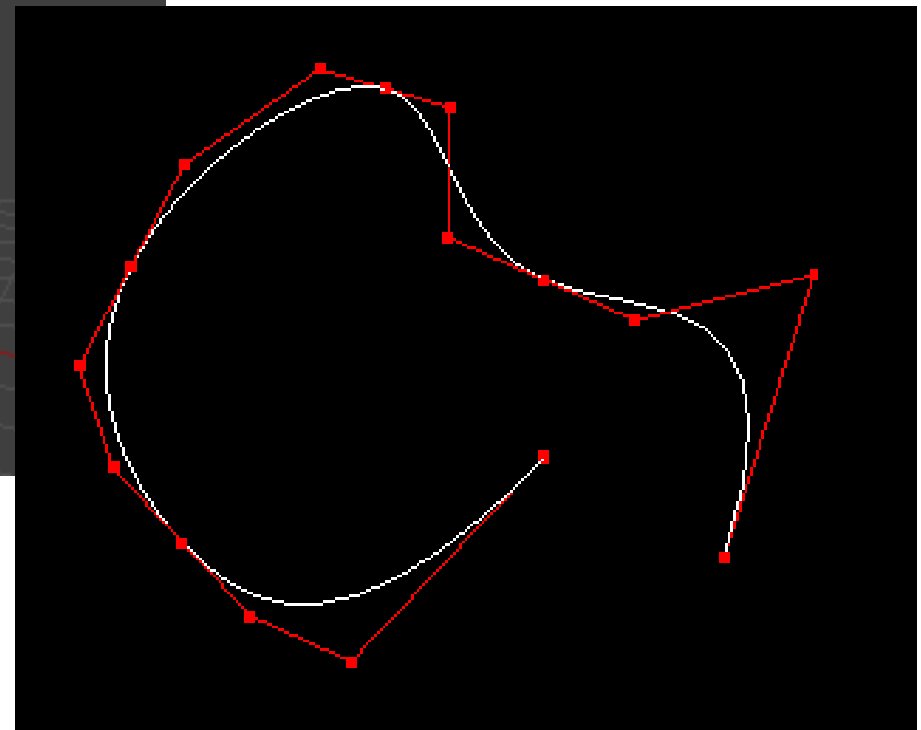
Study IT in .ee



The Road So Far...



```
mtllib triangle.mtl
o Plane
v 1.007839 0.000000 -1.000000
v 1.000000 0.000000 0.978599
v -1.000000 0.000000 -0.588960
usemtl None
s off
f 3 2 1
```



Procedural Generation

- Generating objects algorithmically
 - Mesh (geometry)
 - Material (texture)
 - Effects (particles)
 - Animation
 - Worlds
 - Characters, weapons, space ships, ...
- More different content, less work for artists

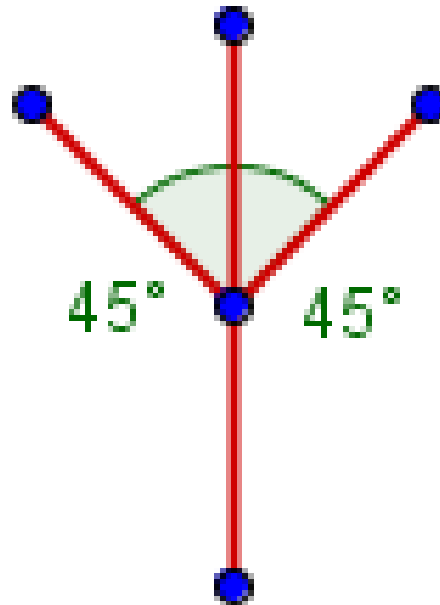
Tree

- Let's try to generate a tree branch structure.
- We start with a trunk.



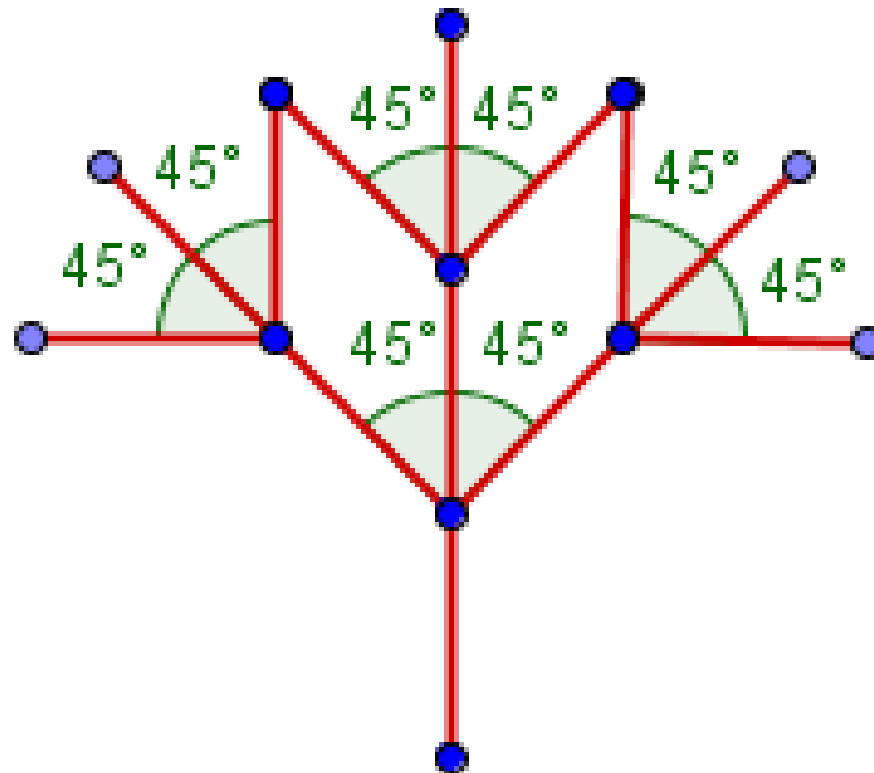
Tree

- From the trunk, we create two branches for either side.
- We also continue on the forward path.



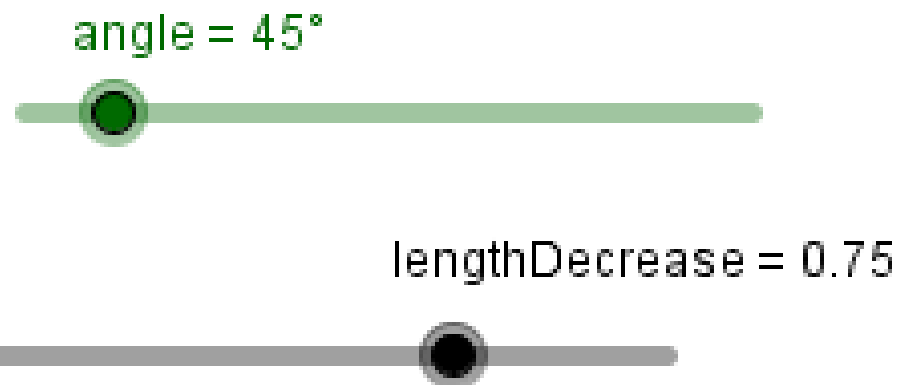
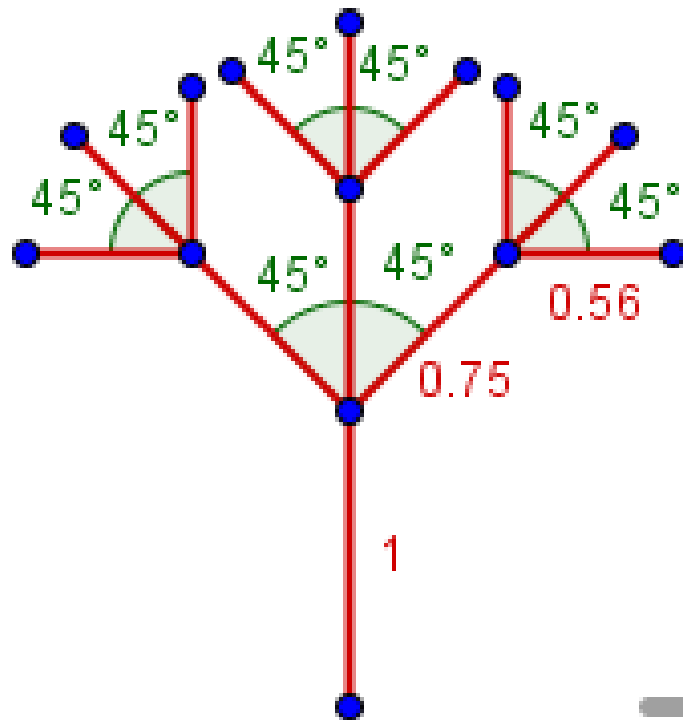
Tree

- We repeat the same process for all of the new segments.



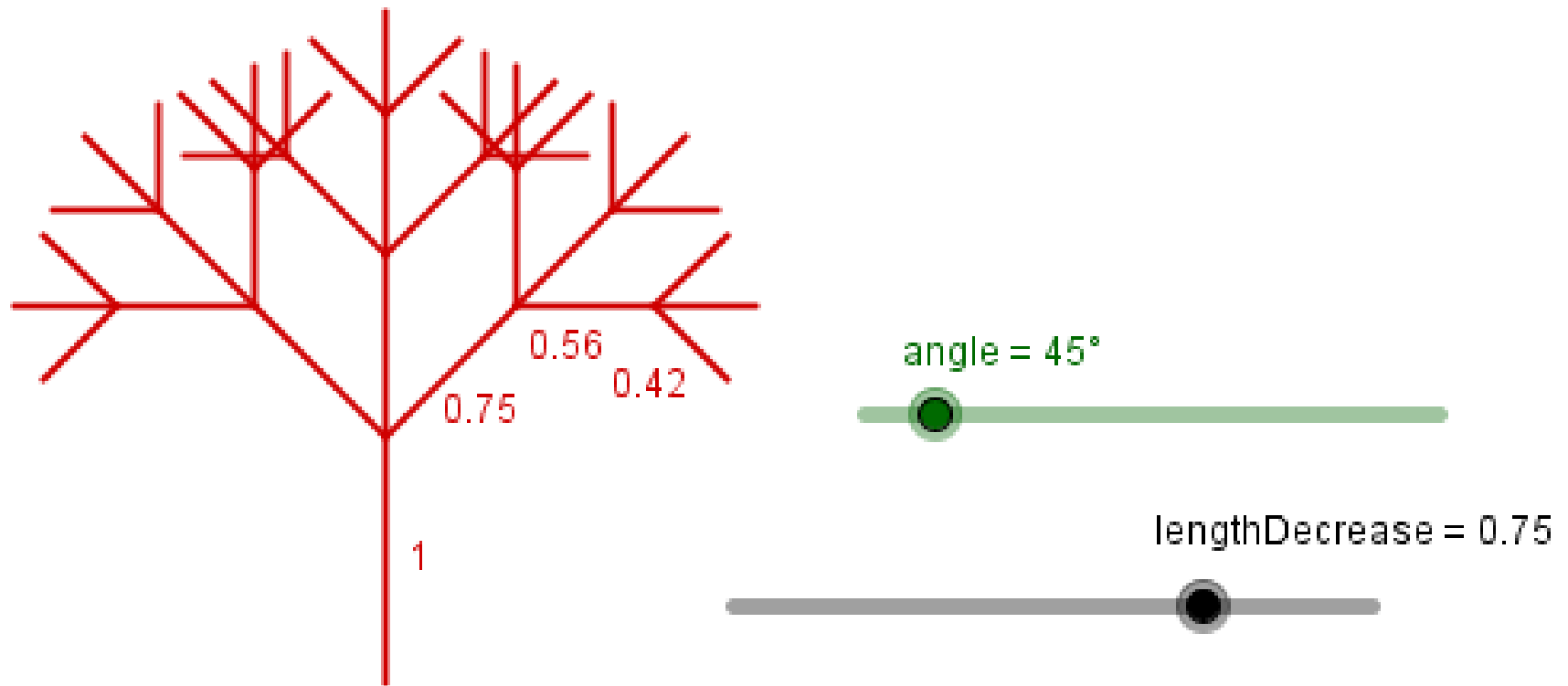
Tree

- Decrease the length of the segments each time.



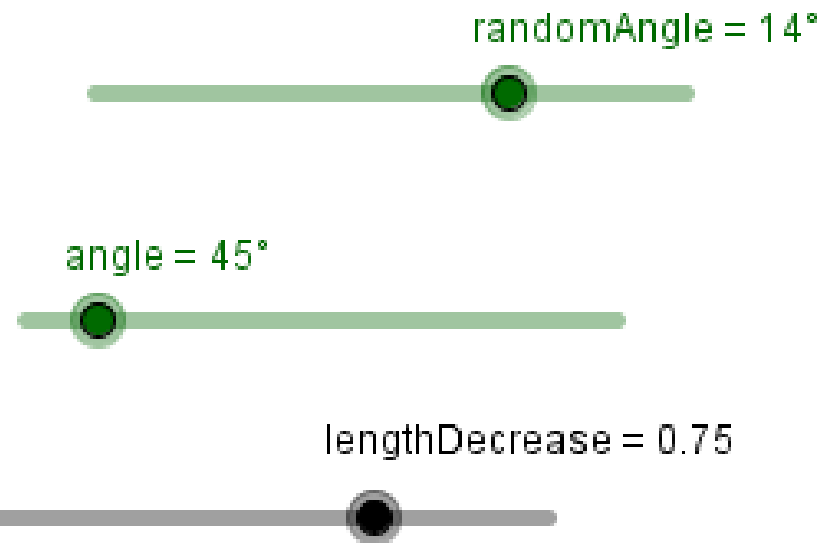
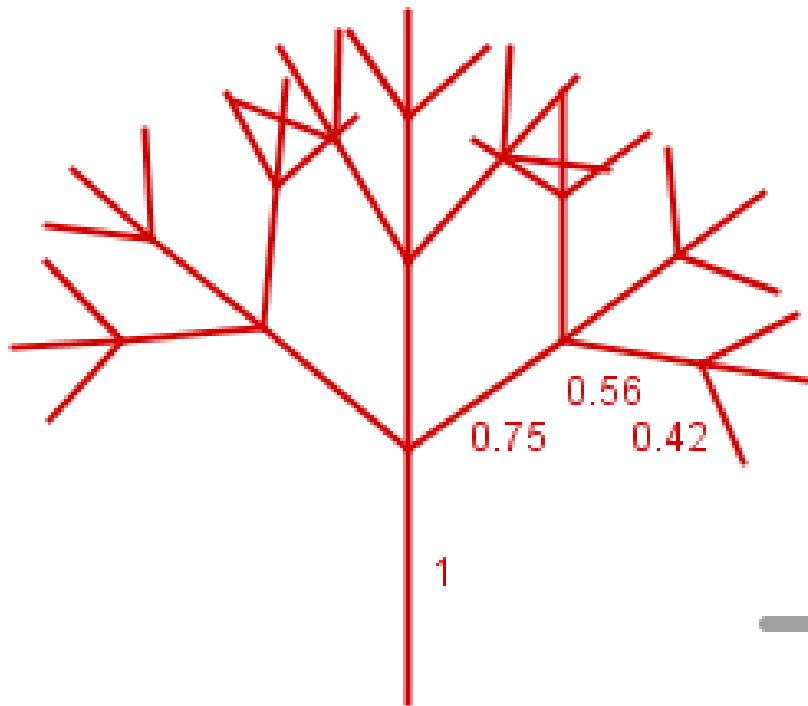
Tree

- Repeat again the same process.



Tree

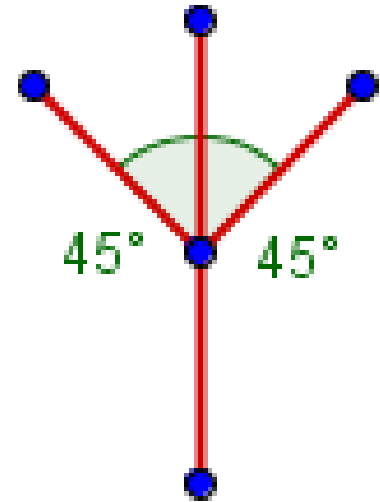
- Introduce randomness.



Show this in action...

Tree

- What if we want to store the generated tree structure?
- For example, this smaller tree:
- We should specify the structure and the parameters (length, angle).



Formal Grammar (Chomsky)

- Formal grammar consists of:
 - Set of nonterminal symbols N .
 - Set of terminal symbols Σ .
 - Set of production rules.
 - Starting axiom.
- Example:

$$N = \{A\}$$

$$\text{Axiom} = A$$

Generates words

$$\Sigma = \{a\}$$

$$A \rightarrow a$$

$$R = \left\{ \begin{array}{l} A \rightarrow AA \\ A \rightarrow a \end{array} \right\}$$

$$A \rightarrow AA \rightarrow aA \rightarrow aa$$

$$A \rightarrow AA \rightarrow AAA \rightarrow aAA \rightarrow aaA \rightarrow aaa$$

...


Formal Grammar (Chomsky)

- Used for:
 - Natural language processing
 - Program code processing (compiler, interpreter)
- Hierarchy of types
 - **Type 0: Unrestricted** – $N = \Sigma$
 - **Type 1: Context sensitive** – non-terminal symbol on the left side, can be surrounded by a context
 - **Type 2: Context free** – left side contains only a single non-terminal symbol
 - **Type 3: Regular** – right side is empty, single terminal, or single terminal follower by non-terminal

Lindenmayer System

- **Variant of a formal grammar.**
- **Parallel rewriting system.**
- We will look at one, that is:
 - Bracketed system.
 - Stochastic system.
 - Context free (0L-system).
 - Parametric system.

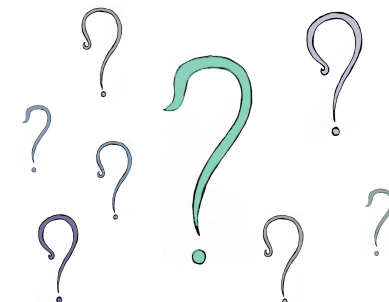
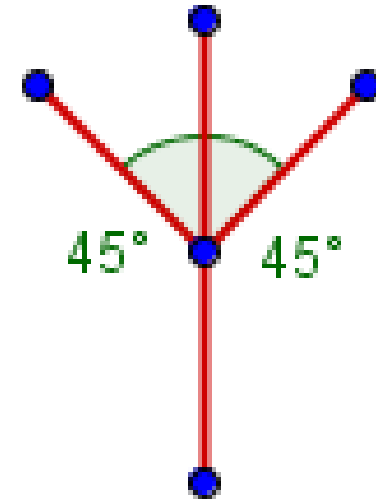
Because of that, does
not fall directly under
Chomsky's hierarchy



Lindenmayer System

- **Bracketed system** – we use brackets to indicate branches.
- Let's use such symbols:

Symbol	Meaning
F	Segment
+	Rotate left 45°
-	Rotate right 45°
[Start of a branch
]	End of a branch

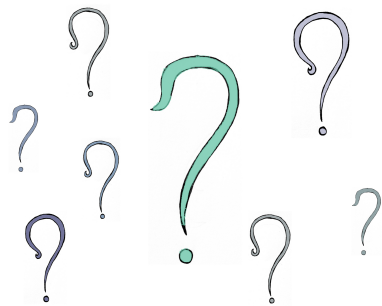


Can we write our tree using those?

Lindenmayer System

- **Parallel rewriting system** – we can specify rules to generate the tree.
 - Start from the axiom.
 - Rewrite (apply rules) to all symbols at once.

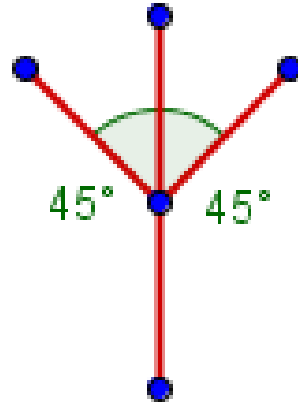
What would be the rules?



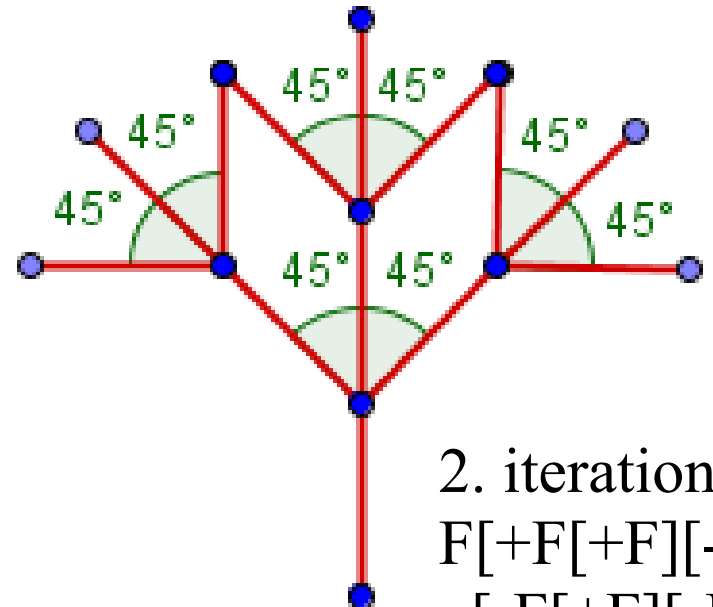
This is a trick question.



Axiom: F



1. iteration: F[+F][-F]F

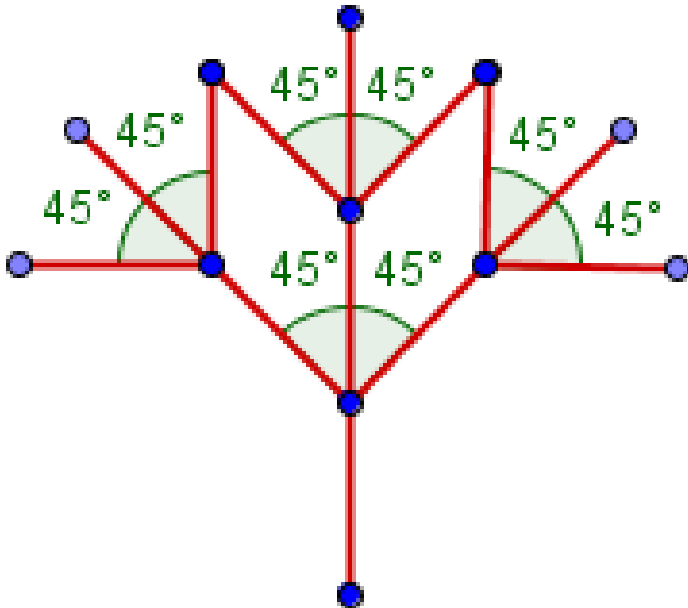


2. iteration:

F[+F[+F][-F]F]
[-F[+F][-F]F]
F[+F][-F]F

Lindenmayer System

- **Parametric system** – we can specify parameters for the symbols.
 - The length, the angle etc

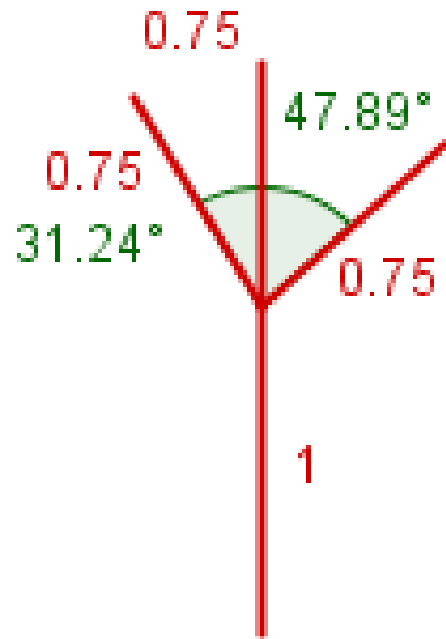


$F[+(45)F[+(45)F][-(45)F]F]$
 $[-(45)F[+(45)F][-(45)F]F]$
 $F[+(45)F][-(45)F]F$

Every + or - is followed by
the angle of rotation.

Lindenmayer System

- We can generate angles with some variance.
- Also specify the lengths of the segments.



If the decrease of lengths is deterministic, we could consider it only, when drawing the tree...

$F(1)[+(31.24)F(0.75)][-(47.89)F(0.75)]F(0.75)$

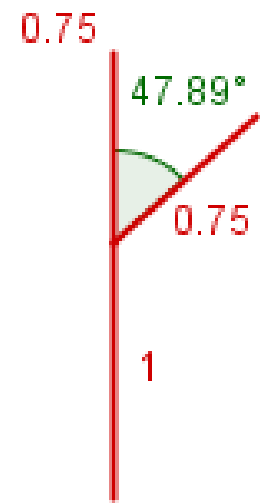
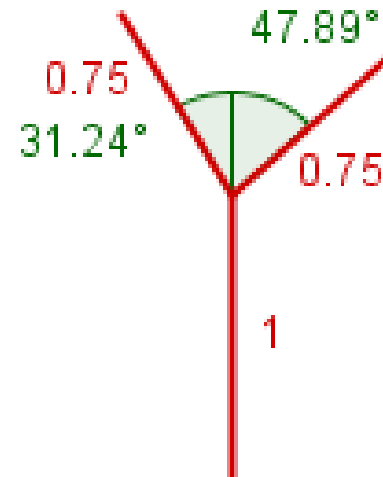
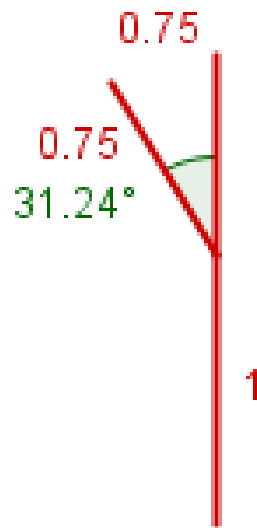
Lindenmayer System

- **Stochastic system** – we can have many rules, with the same left-hand side.
- Each rule has a probability.
- The sum of the probabilities of all the rules, with the same left-hand side, has to be 1.

$$A \xrightarrow{1/3} F[+A]A$$

$$A \xrightarrow{1/3} F[-A]A$$

$$A \xrightarrow{1/3} F[+A][-A]$$



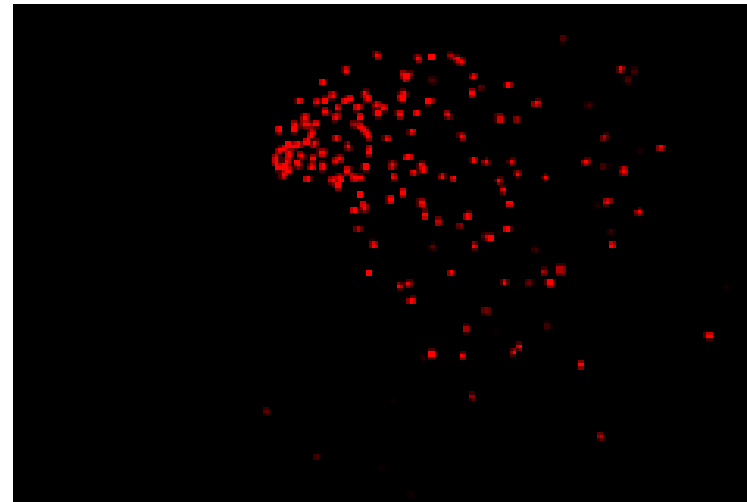
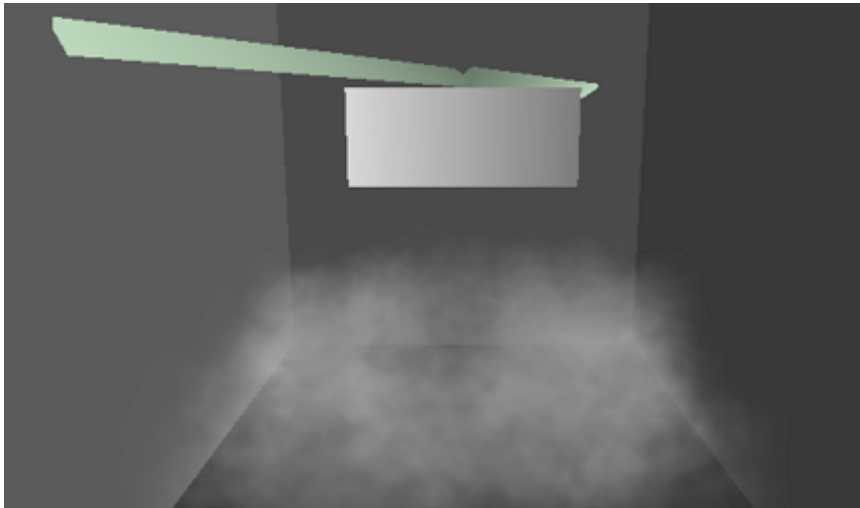
Lindenmayer System

- Rigorous way to specify a mechanism for a **self-similar** structure generation.
- Lot of research and different possibilities.
- *The Algorithmic Beauty of Plants*,
A. Lindenmayer, P. Prusinkiewicz.
<http://algorithmicbotany.org/papers/abop/abop.pdf>
- Interesting plugin for Unity:
<http://forum.unity3d.com/threads/l-systems-for-unity-free-script-included.272416/>
- Questions?

Particle System

- Used for different effects
 - Fire, fluid, wind, smoke
 - Precipitation (rain, snow)
 - Groups of objects with behaviour (birds, NPC-s)

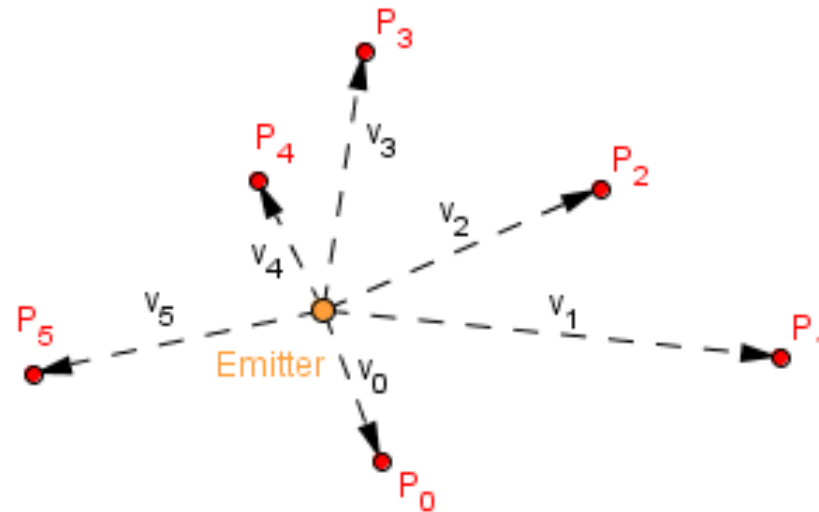
*This you did in the
Soft Particle Chopper.*



Particle System

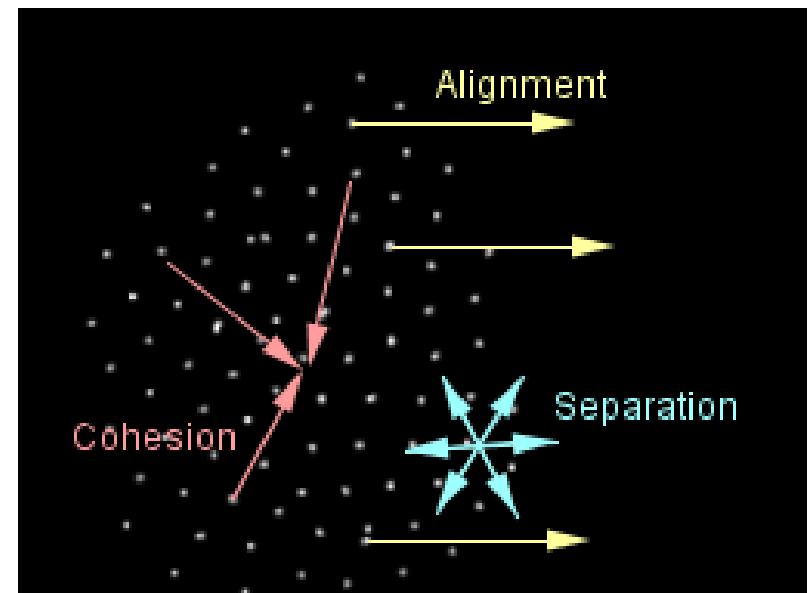
- Particles can have a transparency that varies over time.
- Particles can be generated from a pool.
 - If a particle dies, return it to the pool.
- Particle can be 1 pixel in size, or have an image.
- Particle system has an emitter of particles.

Emitter can also be a line, a surface, a volume etc.



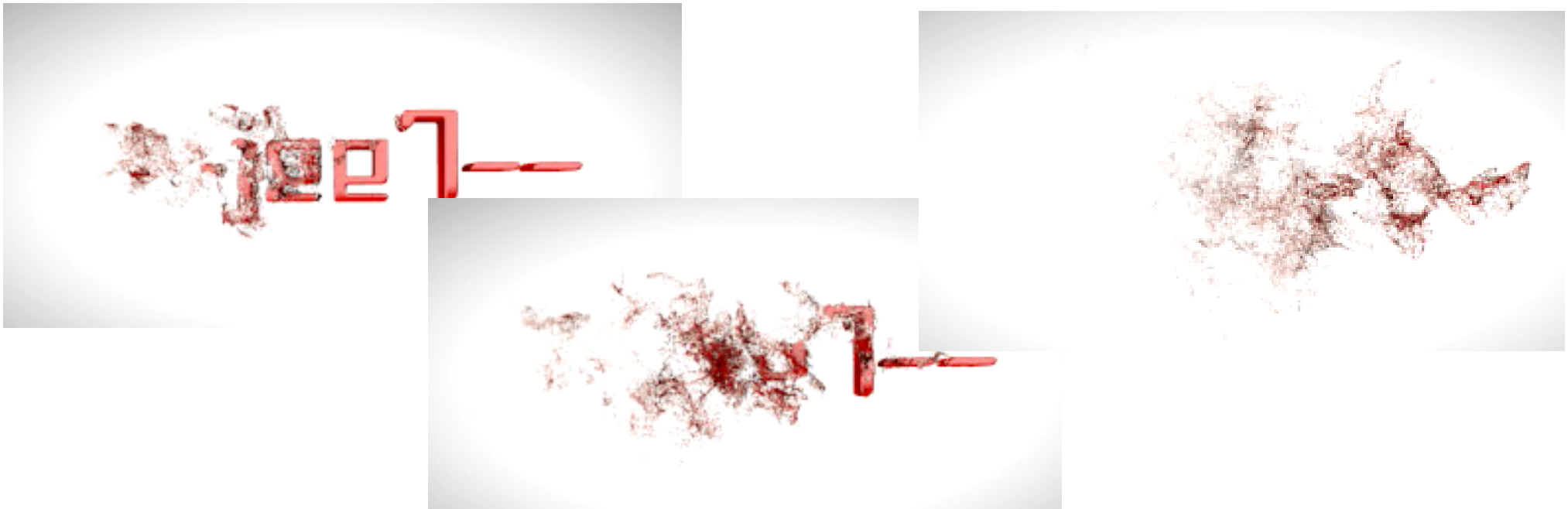
Boids Algorithm

- Used to model flocking (of birds).
- Each particle follows a set of rules:
 - **Cohesion** – Move towards the center of mass.
 - **Separation** – Keep distance from other particles.
 - **Alignment** – Follow the average direction.
- There can be other rules.



Particle Systems

- Blender has particle systems



- Example of scar generation via particles:
<https://www.allegorithmic.com/community/blog/creative-use-particle-brushes>

What did you learn today?

What more would you like to know?

Next time: Ray Casting, Ray Tracing,
Space Partitioning, BVH